Combatting the Challenges of Local Privacy for Distributional Semantics with Compression Alexandra Schofield David Mimno Gregory Yauney Cornell University Harvey Mudd College Cornell University xanda@cs.hmc.edu gyauney@cs.cornell.edu mimno@cornell.edu Why limited-precision privacy? New mechanisms Experiments for limited-precision local privacy Evaluate whether data with horizontal compression and Goal: private noise can produce useful semantic models Compression: First compress data and then add random noise, • Bag-of-words data is: 1.high-dimensional retaining large-scale correlations. Dataset: • 9,528 consumer complaints about financial products 2.sparse and services across 7 categories released by the U.S. 3.bursty **Consumer Finance Protection Bureau** features • No bound on the frequencies in each observation. 100-500 words in each document Vertical compression: • Local setting: can't compute ℓ_1 -sensitivity. combines documents 1. LDA: Similarity between private and non-private topics aggregate data compressed data features Jaccard similarity Horizontal compression: combines features ----- Nonprivate OUR FOCUS aggregate data pressed data Original data Geometric noise $\epsilon = 0.5, N = 1$ Exclusivity ratio $\epsilon = 5.0, N = 10$ text aggregate data • We don't need to worry about whole documents. Per-word • We don't want to care whether a single word shows up. horizontal coherence compression differentially private decompression public data

Privatizing text data is hard under local privacy.

Standard mechanisms for local privacy:





Isn't text just histograms? Can't we locally privatize those?

Privacy definitions

local privacy

INDISTINGLISHABILITY

Consider a database D with rows in \mathbb{R}^m . A randomized mechanism R is ϵ -locally private if, for all pairs of possible rows $y, y' \in \mathbb{R}^m$, and a set of possible outputs $S \subset \mathbb{R}^m$:

$$\Pr\left[R(y) \in S\right] \le e^{\epsilon} \cdot \Pr\left[R(y') \in S\right]$$

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public models Ο

combination

Ο

strategy

limited-precision local privacy (LPLP)

Consider a database D with rows in \mathbb{R}^m . A randomized mechanism R is (N, ϵ)-limited-precision locally private if, for all pairs of possible rows $y, y' \in \mathbb{R}^m$ with ℓ_1 difference $\|y - y'\|_1 \leq N$, and a set of possible outputs $S \subset \mathbb{R}^m$:

$$\Pr\left[R(y) \in S\right] \le e^{\epsilon} \cdot \Pr\left[R(y') \in S\right]$$

Informally: LPLP only guarantees documents are hard to distinguish from similar documents.

aggregate data

Ο

high ← frequency → *low* 1. Random 2. Frequency cat quarter airplane leoparo ocelo 4. Embedding 3. Embedding cluster disperse

compressed data

How should features be combined?

compressed data

Ο



2. LSA: Predict category of private and non-private documents

LSA + random forest classification



Takeaways

- High-dimensional bags-of-words are a challenge for local privacy. Compression helps with stronger privacy guarantees within LPLP. • Promising feature combination approaches:
 - Distributing high-frequency features
 - Random feature combination

https://priml-workshop.github.io/priml2019/ papers/PriML2019_paper_29.pdf